

Part VI.

Lexical Analysis

Lexical Analyzer (Scanner)

Source program

↓ Read next char



Get next token

Token

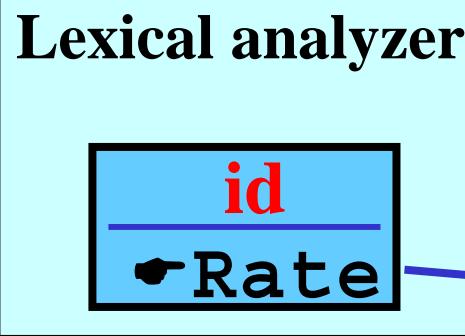


Example:

Source program:

Pos := Rate * 60

2.



1.
Get next token

3.

Syntax analyzer

Assignment

Expr

id

Pos

:=

Rate

Scanner: Tasks

Main task

- recognition and classification of lexemes
 - representing lexemes by their tokens
-

Other tasks

- removal of comments and whitespaces
- communication with symbol tables

Relation to Models for RLs

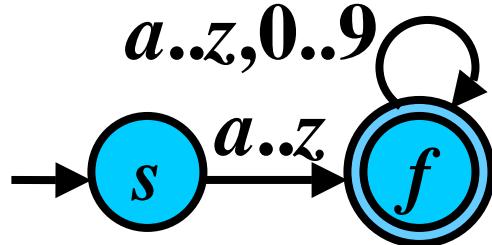
- **Regular expressions** specify lexemes
- **DFA**s underlie scanners

Lexemes Recognized by DFAs 1/2

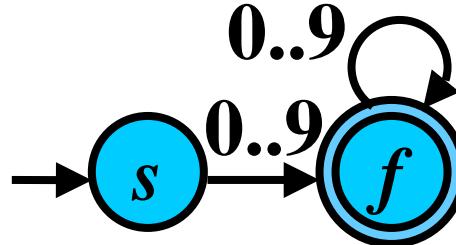
1) Recognition of lexemes by using DFA

Example:

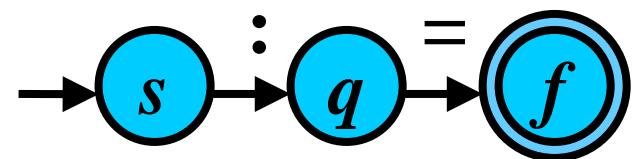
Identifier:



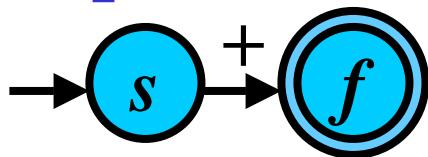
Integer:



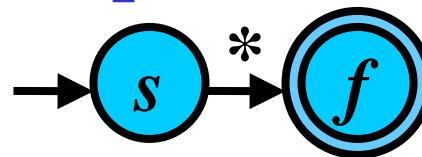
Assignment:



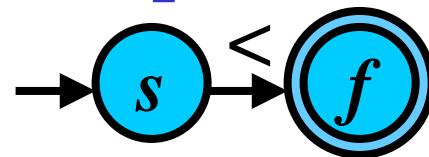
Operator +:



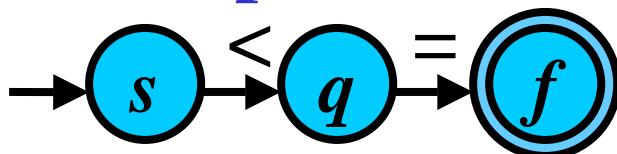
Operator *:



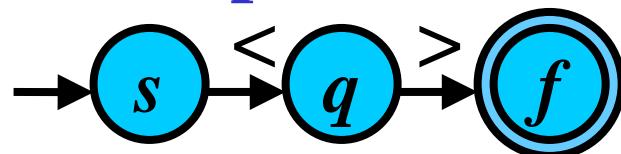
Comparator <:



Comparator <=:

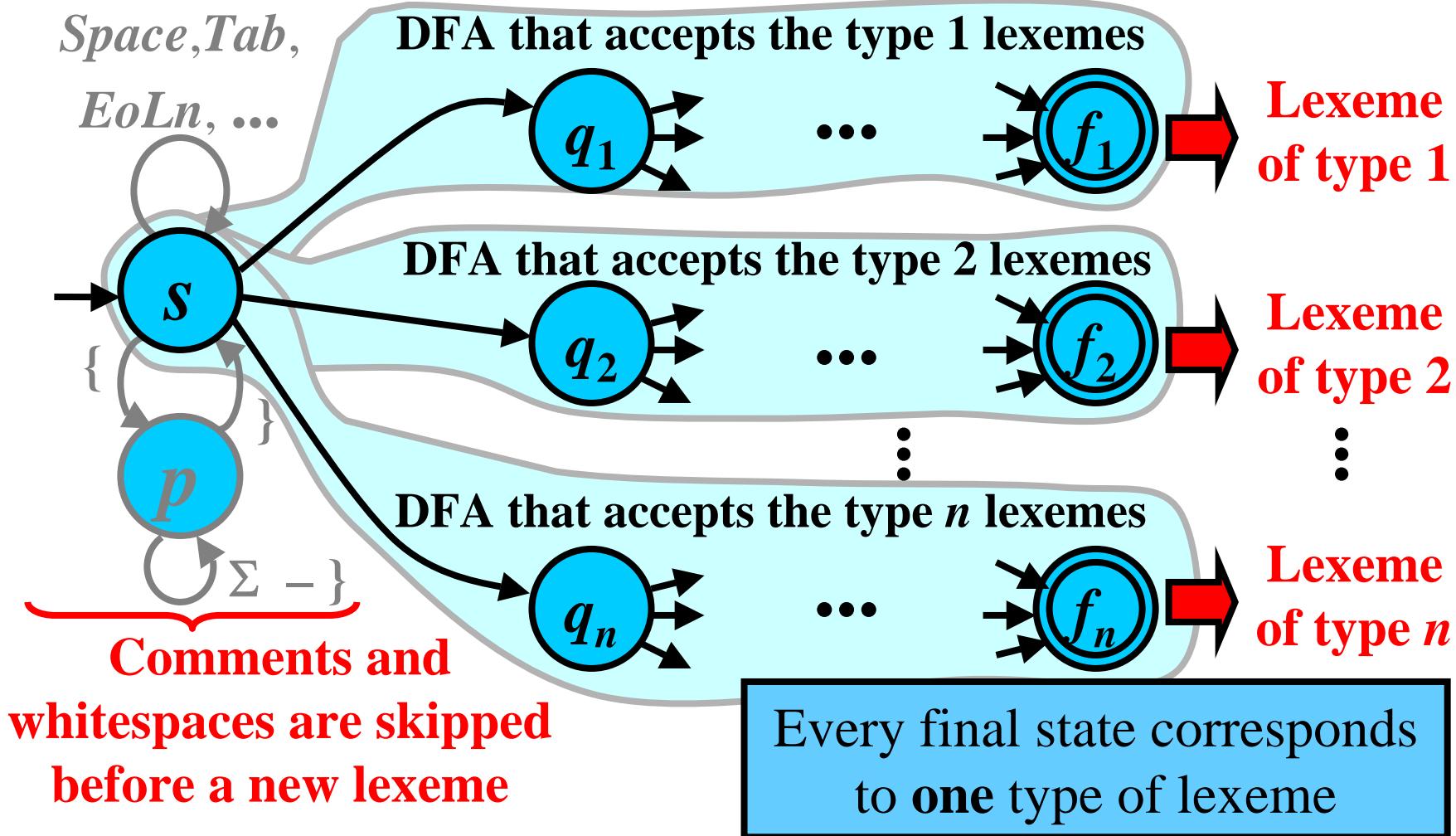


Comparator <>:



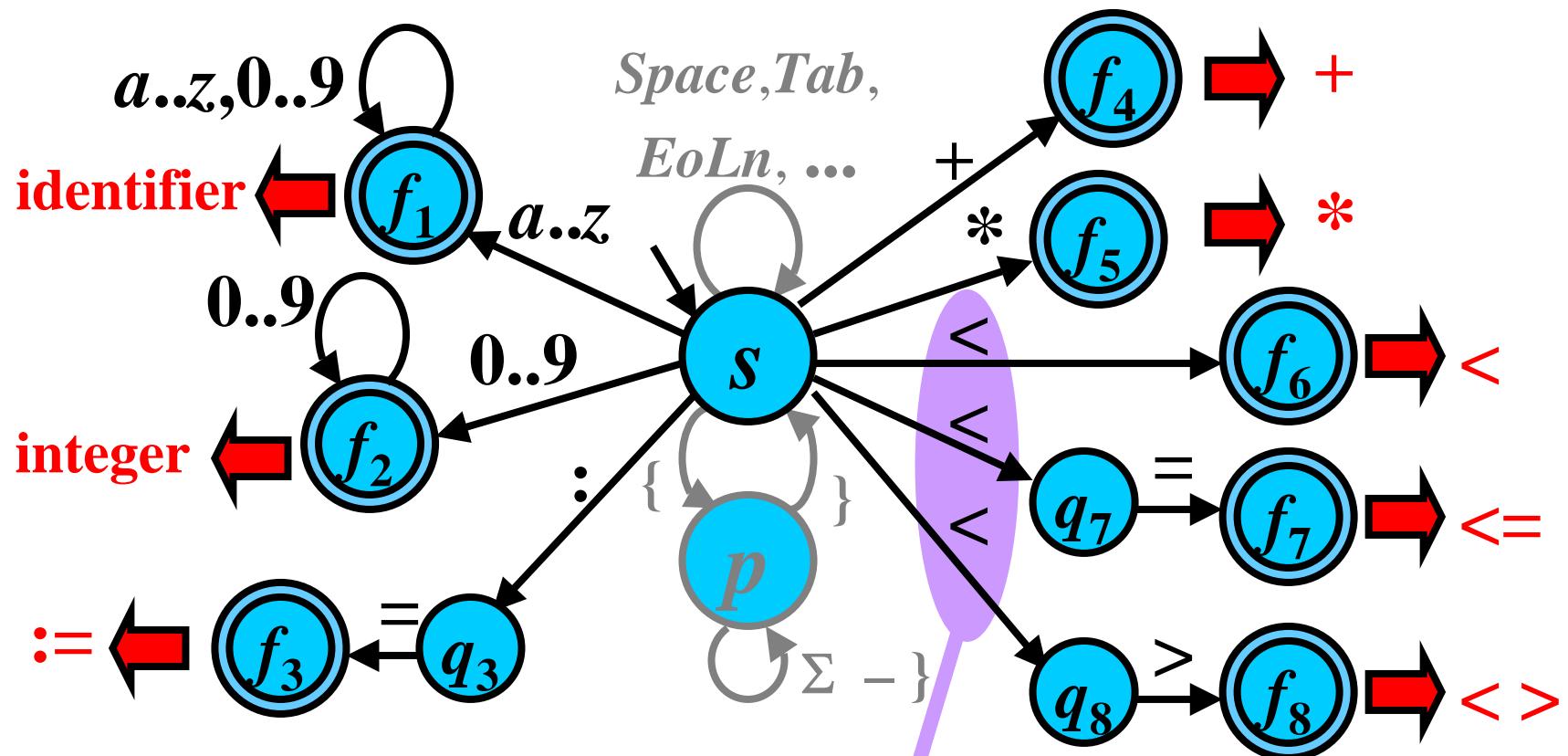
Lexemes Recognized by DFAs 2/2

2) Construction of an FA that accepts all lexemes:



DFA for Lexemes : Example 1/2

- FA that accepts these lexemes:
identifier, integer, $:=$, $+$, $*$, $<$, \leq , $>$

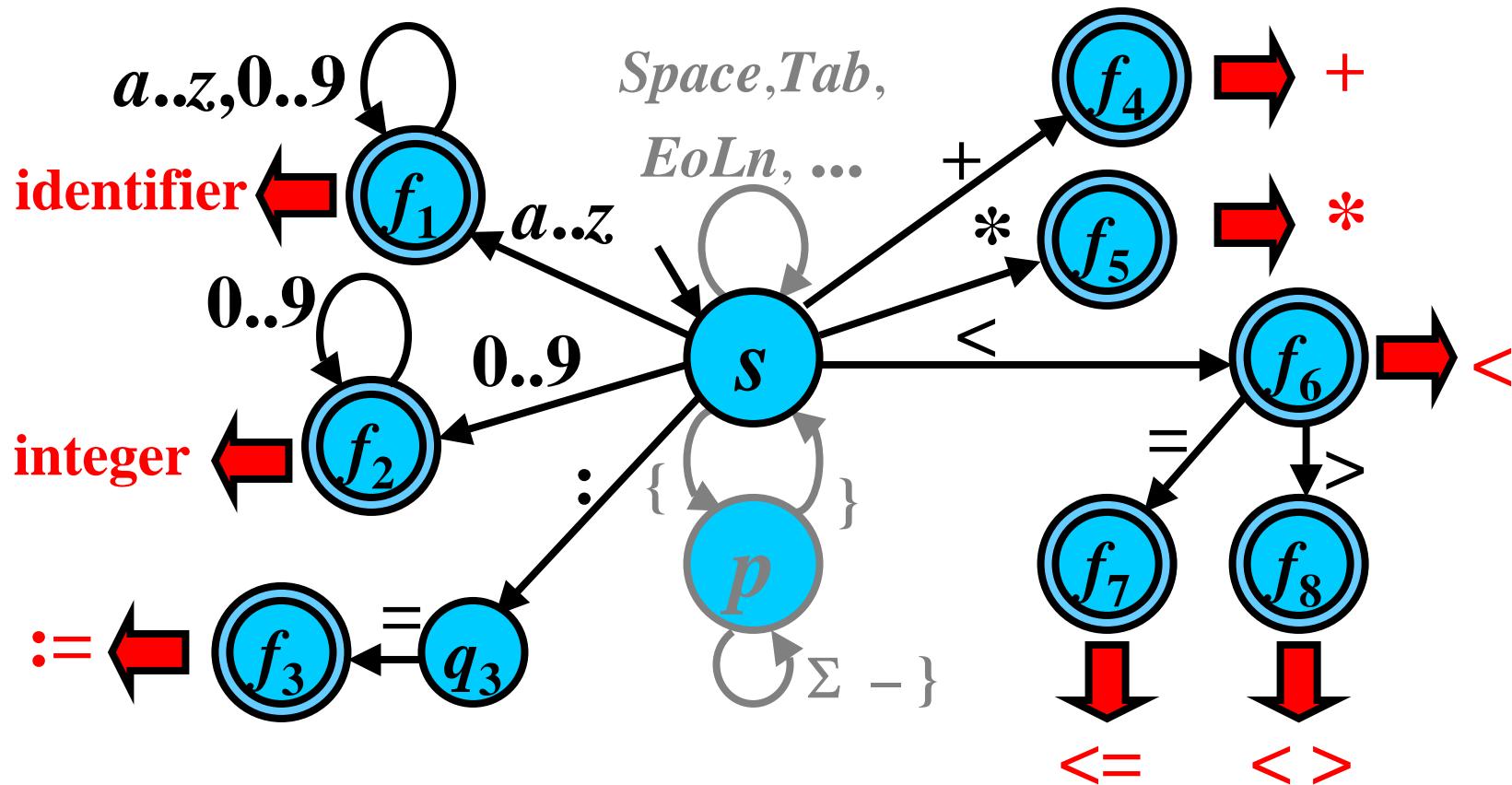


Convert this NFA to DFA.

DFAAs for Lexemes: Example 2/2

- Equivalent DFA:

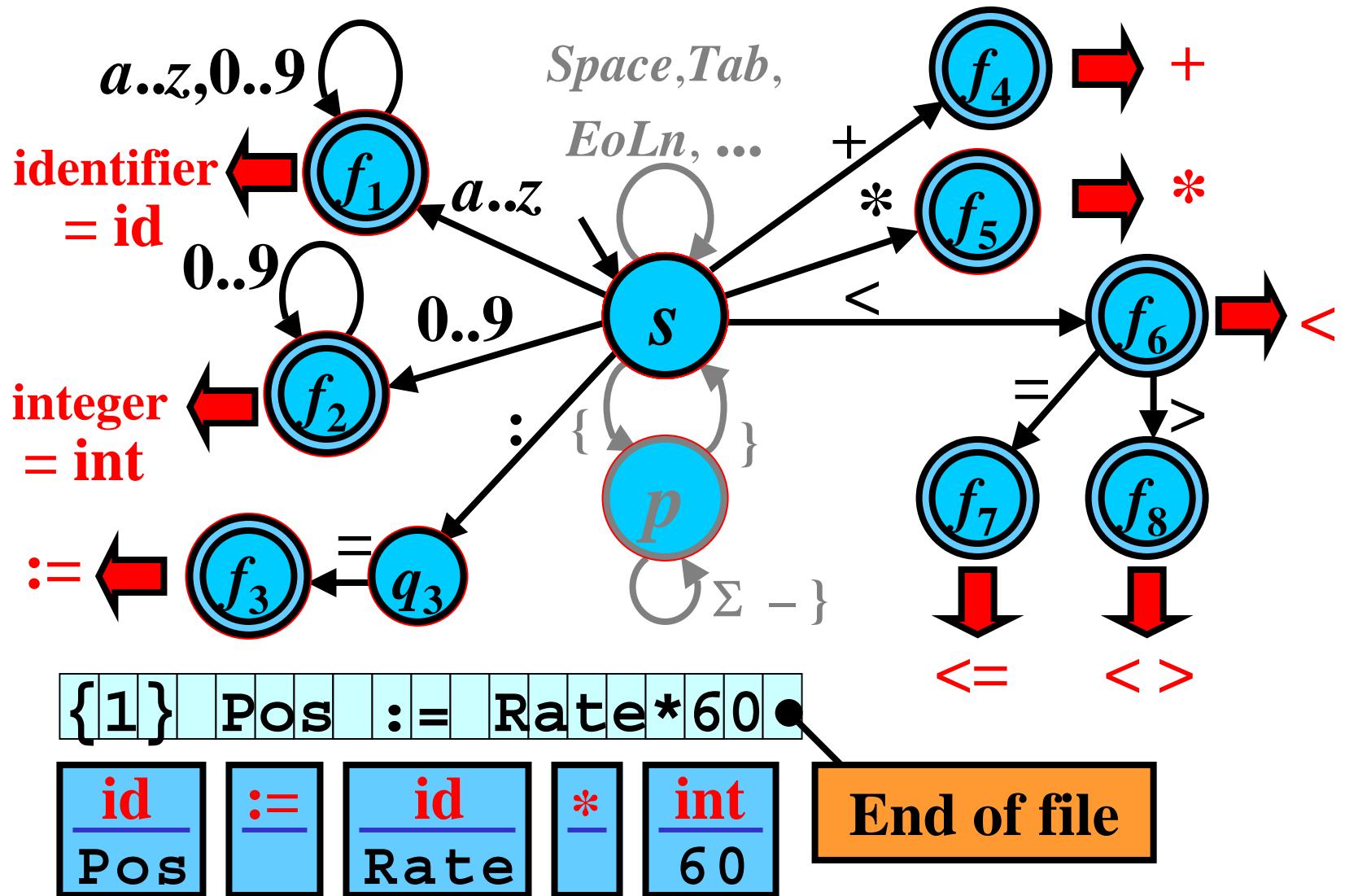
identifier, integer, $:=$, $+$, $*$, $<$, \leq , \geq



Algorithm: Type of Lexeme

- **Input:** DFA M for the source-program lexemes
 - **Output:** determination of the lexeme type
-
- **Method:**
 - **while** a is the next symbol (character) in SP
and M can make a move with a **do**:
 - read a
 - make the move with a
 - **if** M is in a final state **then**
 determine the corresponding lexeme type
else handle the lexical error (write message etc)

Type of Lexemes: Example



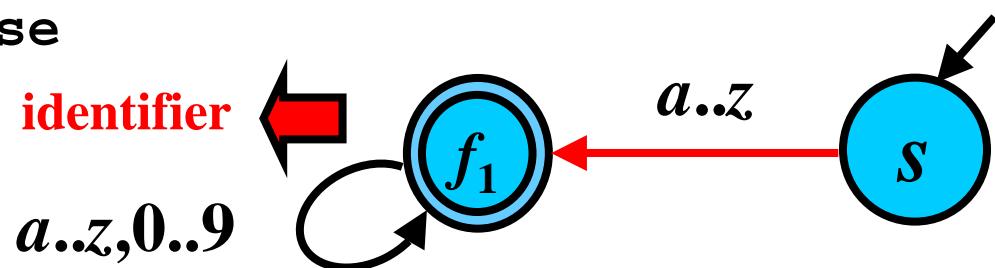
Implementation of DFA 1/10

```

procedure get_Next_Token(var TOKEN: ....);
...
{declaration, ...}

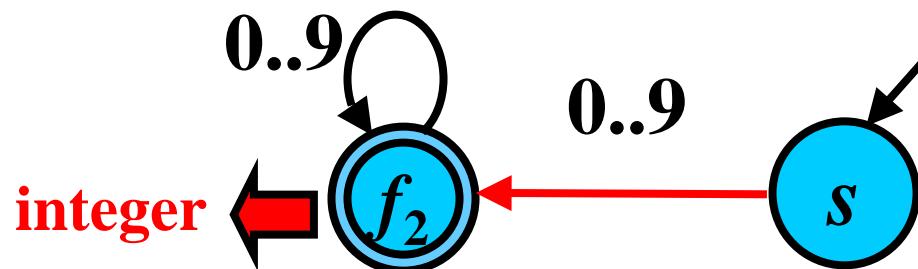
str      := '';
{read string}
state   := S;
{actual state}
repeat
  symbol = getchar();           {read next character}
  case state of
    s : begin                  {start state}
      if symbol in ['a'...'z'] then
        begin
          state:= f1;           {identifier}
          str   := symbol;
        end else

```



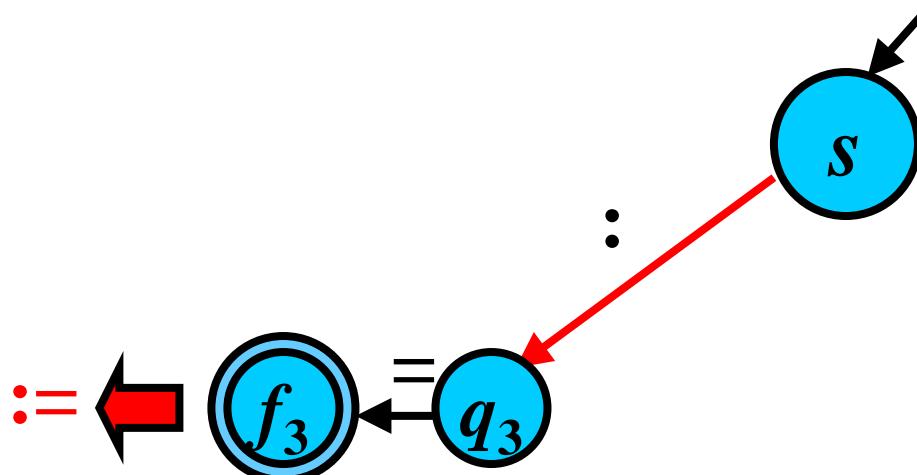
Implementation of DFA 2/10

```
case state of
  s : begin {start state}
    ...
    if symbol in ['0'..'9'] then
      begin
        state := f2; {integer}
        str := symbol;
      end else
```



Implementation of DFA 3/10

```
case state of
  s : begin
    ...
    if symbol = ':' then
      state := q3;           {assignment}
    else
```

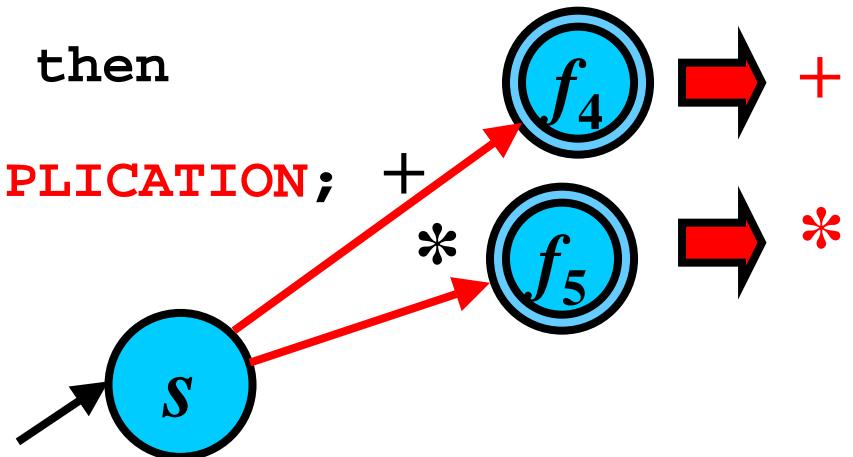


Implementation of DFA 4/10

```
case state of
  s : begin { start state }
```

...

```
  if symbol = '+' then
    begin
      TOKEN := ADDITION;
      break;
    end else
      if symbol = '*' then
        begin
          TOKEN := MULTIPLICATION;
          break;
        end else
```



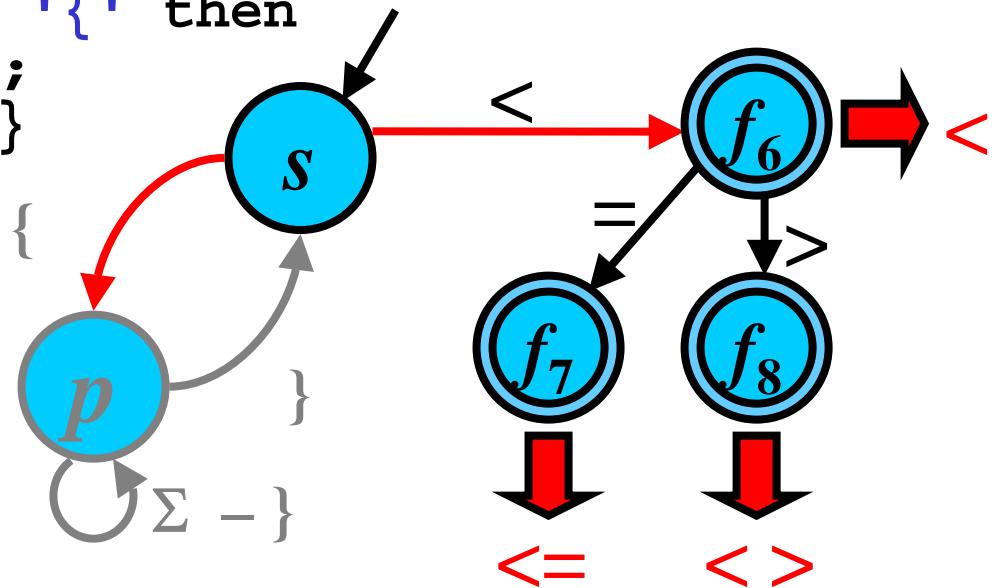
Implementation of DFA 5/10

```
case state of
  s : begin
```

{ start state }

...

```
    if symbol = '<' then
      state:= f6;
    else
      if symbol = '{' then
        state:= p;
  end; {state s}
```

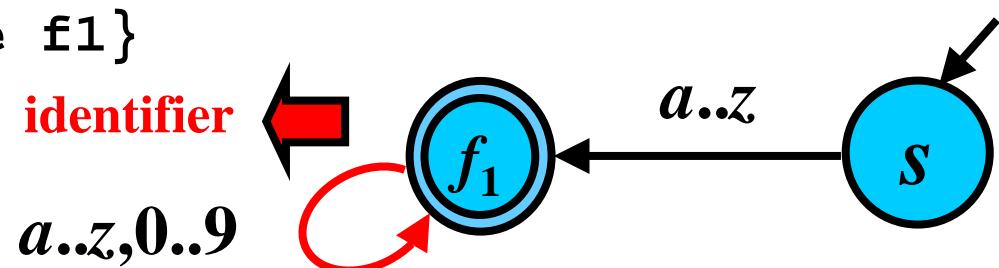


Implementation of DFA 6/10

```

case state of
  ...
f1: begin
    if symbol in ['a'...'z', '0'...'9'] then
      str := str + symbol;
    else
      begin
        ungetchar(symbol); {return symbol}
        if is_keyword(str) then {keyword}
          TOKEN := get_keyword(str);
        else
          TOKEN := IDENTIFIER;
        break;
      end;
    end; {state f1}
  ...

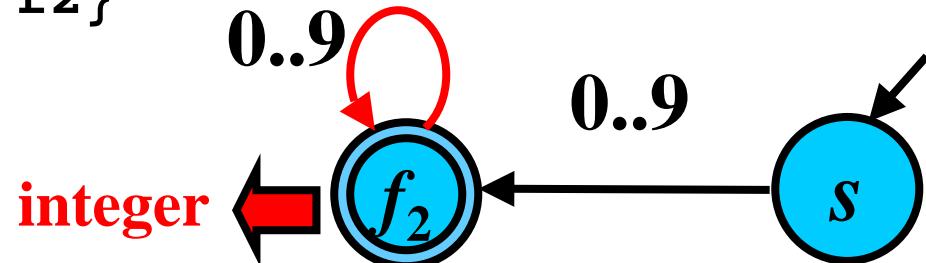
```



Implementation of DFA 7/10

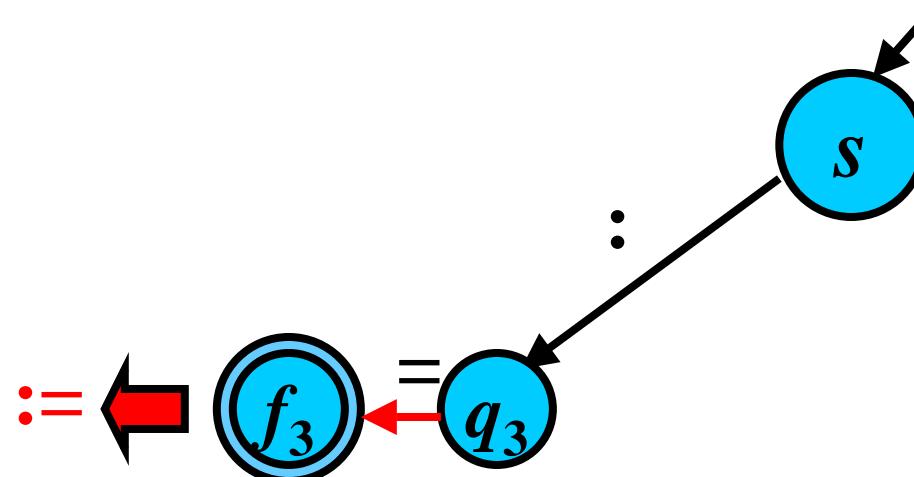
```

case state of
  ...
f2: begin
    if symbol in ['0'..'9'] then
      str := str + symbol;
    else
      begin
        ungetchar(symbol);           {return symbol}
        TOKEN := INTEGER;
        {conversion value of str to integer}
        break;
      end;
    end; {state f2}
  
```



Implementation of DFA 8/10

```
case state of
  ...
  q3: begin                      { assignment }
    if symbol = '=' then
      begin
        TOKEN := ASSIGNMENT;
        break;
      end; {state q3}
```



Implementation of DFA 9/10

```
case state of
```

```
...
```

```
f6: begin
```

```
    if symbol = '=' then
```

```
begin
```

```
    TOKEN := LEQ;      {<=}
```

```
    break;
```

```
end else
```

```
    if symbol = '>' then
```

```
begin
```

```
    TOKEN := NEQ;      {<>}
```

```
    break;
```

```
end else
```

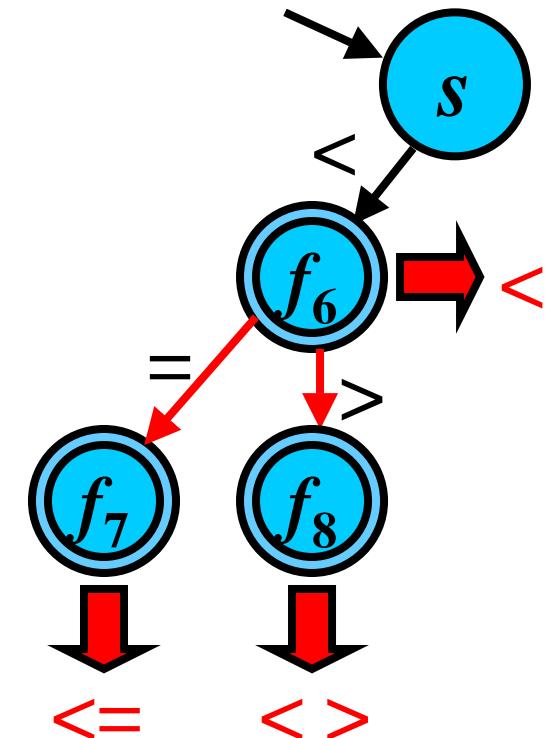
```
    ungetchar(symbol); {return symbol}
```

```
    TOKEN := LTN;      {<}
```

```
    break;
```

```
end;
```

```
end; {state f6}
```

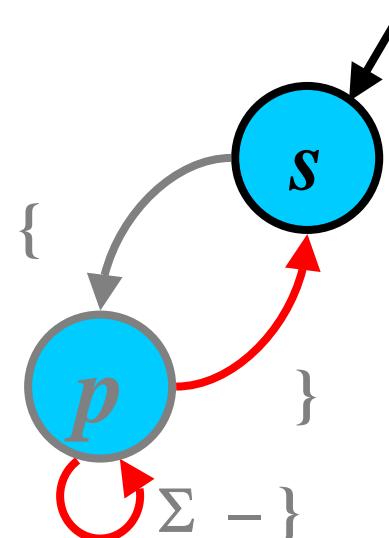


Implementation of DFA 10/10

```
case state of
  ...
  p : begin
    if symbol = '}' then
      state := s;           {start state}
    end; {state p}

until EOF;

...
```



Tokens in Practice

- tokens represent every SP lexeme in a uniform way
- in general, their form is

[**type**, **attribute**]

- 1) Token **attributes** may vary

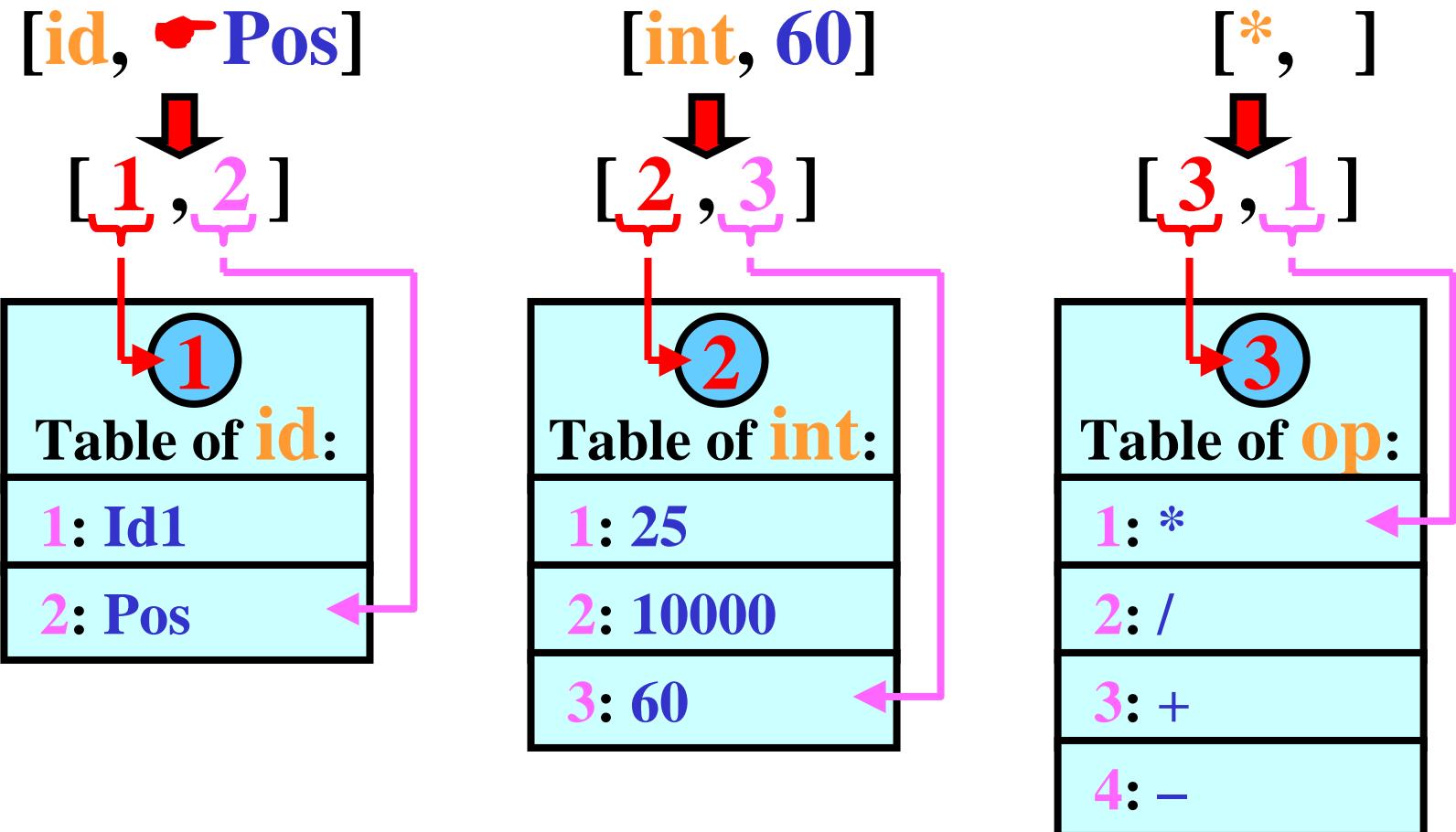
[**id**, **Pos**], [**int**, **60**], [*,
pointer integer nothing

- 2) The same form of tokens

[**1**, **2**], [**2**, **3**], [**3**, **1**]

NOTE: In practice, we often use tokens whose attributes vary.

The Same Form of Tokens



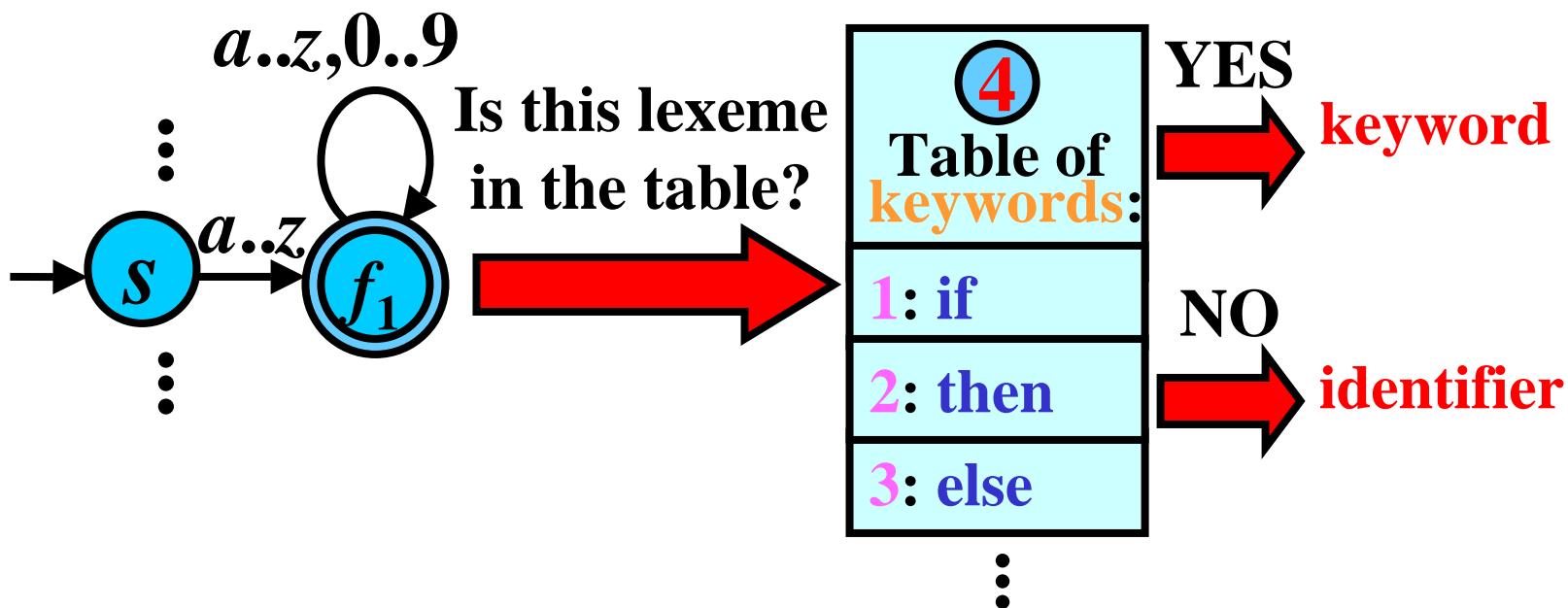
Uniform form of tokens: $[1, 2]$; $[2, 3]$; $[3, 1]$
 Homogenous structure

Identifiers × Keywords

Question: How to distinguish identifiers from keywords?

if → **keyword** × **ifj** → **identifier**

Answer: By a table of keywords.
(Tokens have the same form)



Symbol Table (Identifier Table)

Practical problem:

1) Short identifiers:

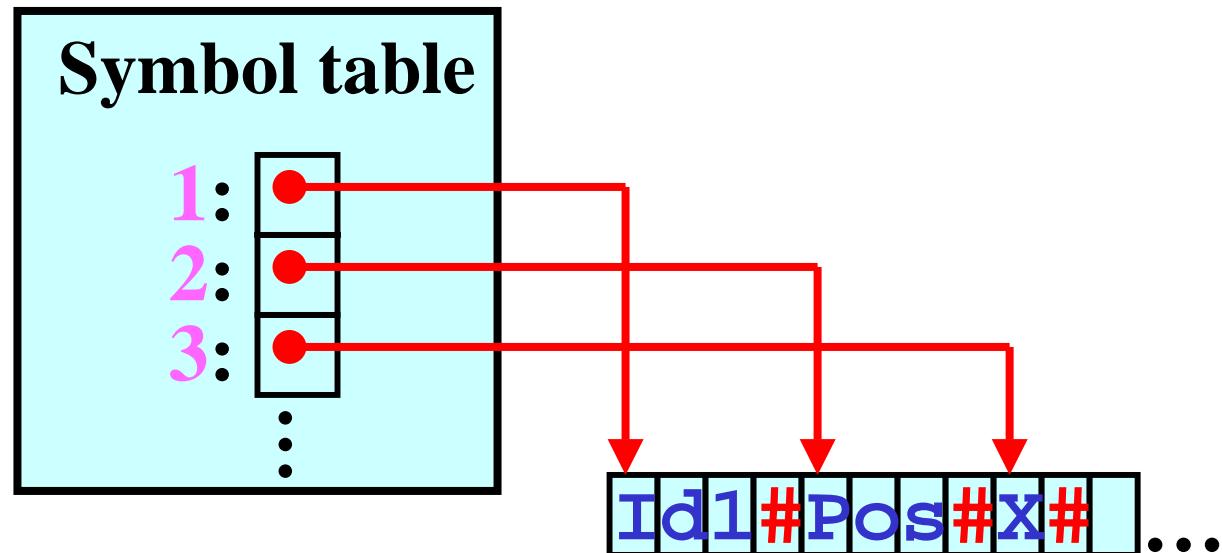
- Empty spaces in memory (-)

2) Long identifiers:

- $\text{Length}(\text{Id}) \leq n$

Symbol table:	
1:	Id1 ---
2:	Pos ---
3:	X -----
	⋮
	⋮
	n.

Solution:



Symbol Table: Structure

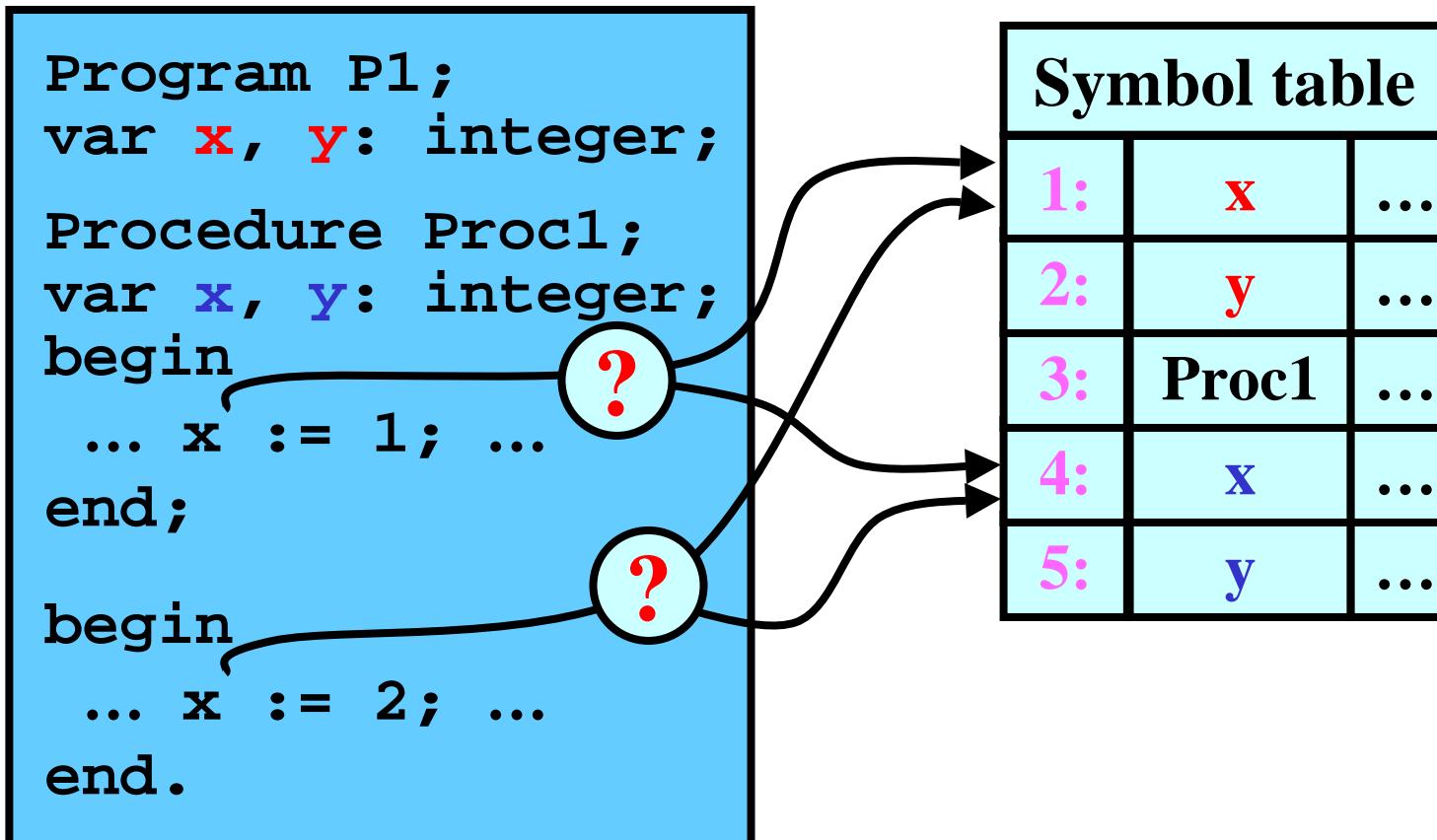
- We need many pieces of information about identifiers in ST:
 - **Variable**: name, type, length, ...
 - **Constant**: type and value of constant
 - **Procedure**: the number and type of parameters
- ⋮
-

Final structure of the symbol table:

Symbol table		
	Name	Info
1:	Id1	Variable ; Type: integer
2:	Pi	Constant ; Type: real , Value: 3.1415927

Scope of Identifiers

- **Problem:**



- **Solution: Scope Rules (Stack structure of ST)**

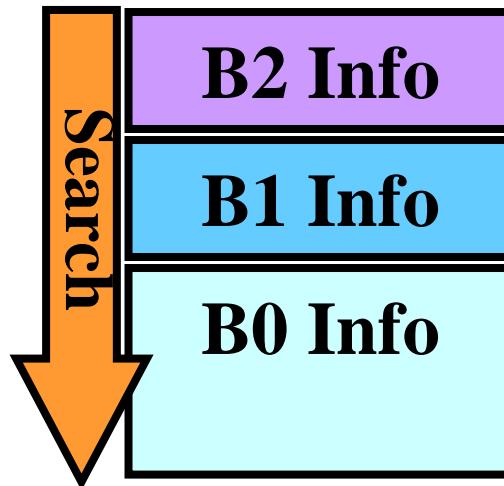
Scope Rules

Main Block (B0)

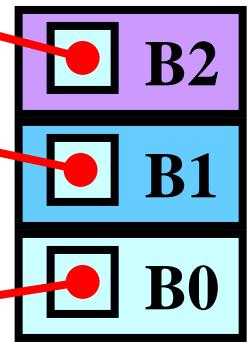
Block 1 (B1)

Block 2 (B2)

Symbol Table =
ST-stack:



Auxiliary
Table =
AT-stack:



Entrance of B2:

- Push a pointer to the ST-stack top onto AT-stack

Exit from B2:

- The top of B1 Info becomes the ST-stack top
- Remove the B2 pointer from the AT-stack top

Search in ST:

- from the top towards the bottom

Scope Rules: Example

```

Program P1;
var x, y: integer;

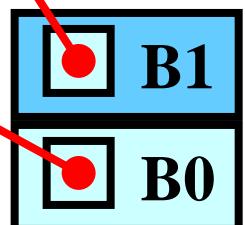
Procedure Proc1;
var x, y: integer;
begin
  ... x := 1; ...
end;

begin
  ... x := 2; ...
end.
  
```

Symbol table:

5:	y	...
4:	x	...
3:	Proc1	...
2:	y	...
1:	x	...

Symbol table

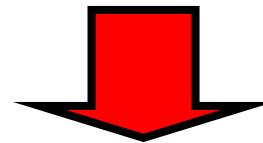


Lex: Basic Idea

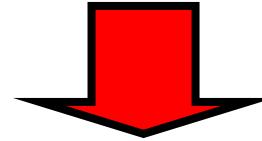
- Automatic construction of a **scanner** from RE
 - Lex compiler and Lex language
-

Illustration:

Regular expressions

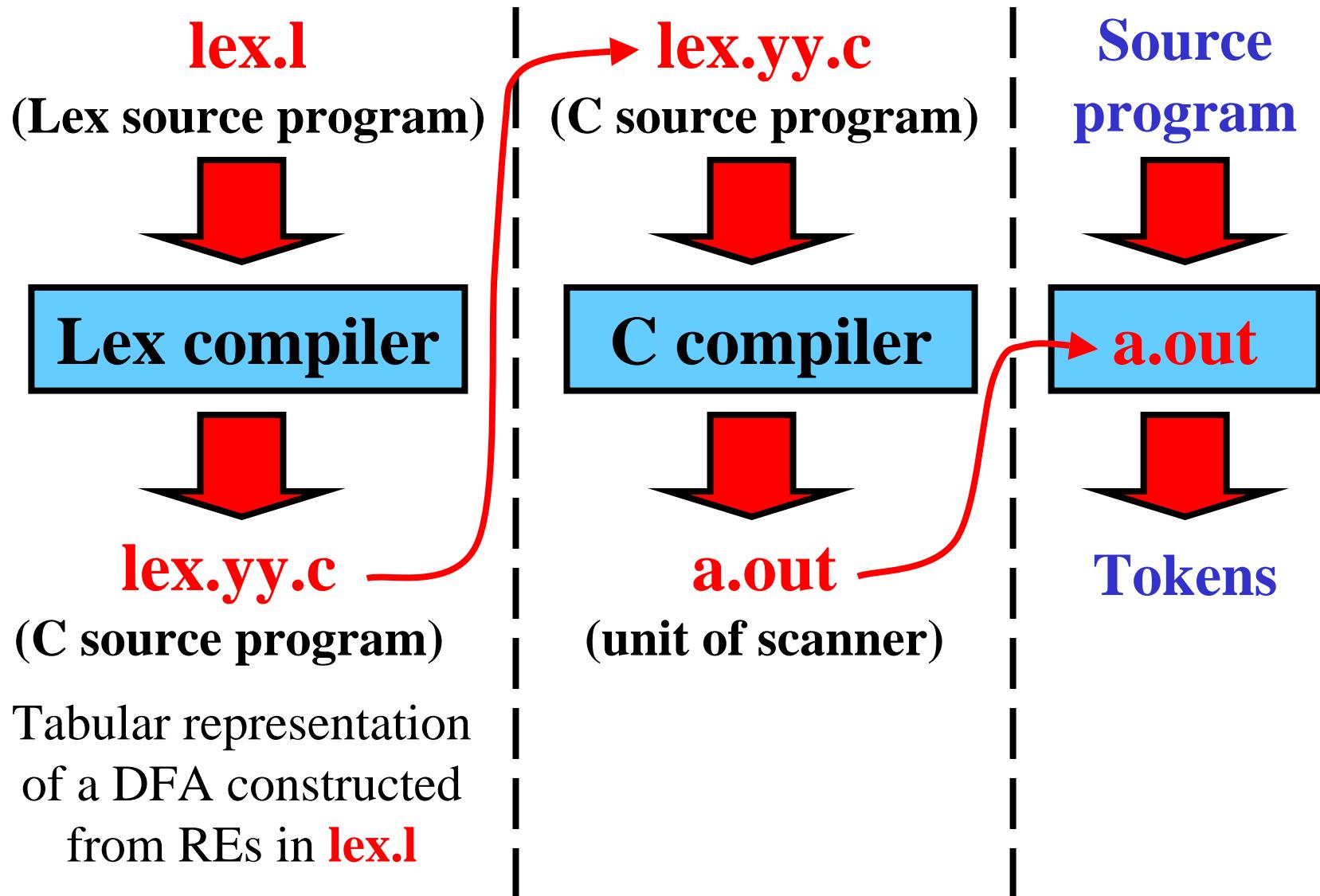


LEX



Lexical analyzer (scanner)

Lex: Phases of Compilation



Structure of Lex Source Program

/* **Section I: Declaration** */

d₁, d₂, ... , d_i

%% /* End of Section I*/

/* **Section II: Translation rules** */

r₁, r₂, ... , r_j

%% /* End of Section II*/

/* **Section III: Auxiliary procedures** */

p₁, p₂, ... , p_k

Basic Regular Expressions in Lex

RE in LEX	Equivalent RE in theory of formal languages
a	a
rs	$r.s$
$r s$	$r + s$
r^*	r^*
r^+	r^+
$r^?$	$r + \epsilon$
[a-z]	$a + b + c + \dots + z$
[0-9]	$0 + 1 + 2 + \dots + 9$

Section I: Declaration

- 1) Definitions of manifest constants = token types
- 2) Definitions based on REs are in the form:

Name_of_RE	RE
-------------------	----

- **Name_of_RE** represents **RE**
 - **{Name_of_RE}** is a reference to **Name_of_RE**
used in other REs
-

Example:

```
#define IF    256 /* constant for IF */
#define THEN 257 /* constant for THEN */
#define ID    258 /* constant for ID */
#define INT   259 /* constant for NUM */

letter [a-z]
digit [0-9]
id    {letter}({letter}|{digit})*
integer {digit}+
```

Section II: Translation Rules

- Translation rules are in the form:

RE	Action
----	--------

- **Action** is a program routine that specifies what to do when a lexeme is specified by **RE**

Example:

```
if           return(IF);  
then         return(THEN);  
{id}        { yylval = install_id();  
              return(ID); }  
{integer} { yylval = install_int();  
              return(INT); }
```

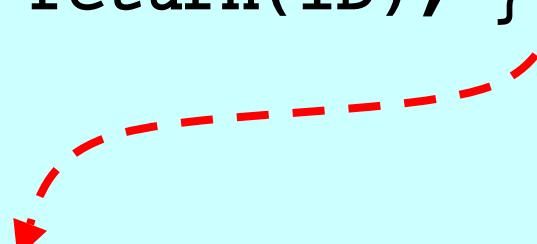
yylval: value returned by install_id() = attribute of token

Section III: Auxiliary Procedures

- Auxiliary procedures are needed by translation rules

Example:

```
...
{id}      { yyval = install_id();
            return(ID); }
...
%%
...
int install_id() {
    /* Procedure to install the lexeme into the symbol
       table and return a pointer thereto */
}
...
```



Complete Source Program in Lex

```

#define IF 256 /* constant for IF */
#define THEN 257 /* constant for THEN */
#define ID 258 /* constant for ID */
#define INT 259 /* constant for NUM */
int yyval; /* yyval is visible for parser */
letter [a-z]
digit [0-9]
id {letter}({letter}|{digit})*
integer {digit}+
%%
if return(IF);
then return(THEN);
{id} {yyval = install_id();return(ID);}
{integer} {yyval = install_int();return(INT);}
%%
int install_id() { ... }
int install_int() { ... }

```